

**Linear Formulas:**

For two points:  $(x_1, y_1)$  and  $(x_2, y_2)$

Distance Formula:  $\sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$

Midpoint Formula:  $\left(\frac{x_1 + x_2}{2}, \frac{y_1 + y_2}{2}\right)$

Slope Formula:  $\frac{y_2 - y_1}{x_2 - x_1}$

Point-Slope:  $y - y_1 = m(x - x_1)$

Slope Intercept:  $y = mx + b$

**Quadratic Formula:**

$$ax^2 + bx + c = 0 \quad x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

**Logic:**

Conditional:  $p \rightarrow q$

Converse:  $q \rightarrow p$

Inverse:  $\text{not } p \rightarrow \text{not } q$

Contrapositive:  $\text{not } q \rightarrow \text{not } p$

**All Polygons:**

Sum of all interior angles:  $180^\circ(n - 2)$

Sum of all exterior angles:  $360^\circ$

**Regular Polygons:**

One interior angle:  $\frac{180(n - 2)}{n}$

One exterior angle:  $\frac{360}{n}$

5	pentagon
6	hexagon
7	heptagon
8	octagon
9	nonagon

10	decagon
11	11-gon
12	dodecagon
$n > 12$	$n$ -gon

**Common Reasons in Proofs:**

Reflexive property of congruence.  
Symmetric property of congruence.  
Transitive property of congruence.

**Theorems:**

Vertical angles are congruent.

All right angles are congruent.

The isosceles triangle theorem (If two sides of a triangle are congruent then the angles opposite them are congruent)

If two lines are parallel the corresponding angles are congruent.

If two lines are parallel the alternate interior angles are congruent.

**Definitions:**

Definition of midpoint

Definition of bisector

Definition of perpendicular

Definition of equilateral triangle

Definition of isosceles triangle

Triangles can be proven congruent with the following:  
SSS SAS ASA AAS HL

If two triangles are congruent then all corresponding parts are congruent. (common abbreviation: CPCTC)