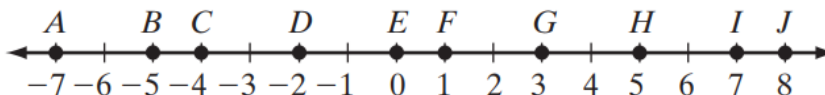


In 1-6, use the number line to find each measure.

1. AB
2. BD
3. CD
4. FH
5. AJ
6. DG



7. What point is the midpoint of \overline{BI} ? How do you know?
8. Show that $AD + DG = AG$.

9. What is the coordinate of the midpoint of \overline{DE} if the coordinate of D is -4 and the coordinate of E is 10 ? Show a number line sketch.
10. $S, M,$ and T are points on the number line. The coordinate of M is 2 , and the coordinate of T is 14 . What is the coordinate of S if M is the midpoint of \overline{ST} ?
11. $P, Q,$ and R are point on the number line. The coordinate of P is -10 , the coordinate of Q is 6 , and the coordinate of R is 8 .
 - a) Does $PQ + QR = PR$?
 - b) Is Q the midpoint of \overline{PR} ? If not, what is the coordinate of the midpoint?
12. A, B, C are points are a number line such that B is the midpoint of \overline{AC} .
 - a) If the coordinate of A is 35 and the coordinate of C is 75 , what is the coordinate of B ? Show a calculation that could be used to find the answer.
 - b) If the coordinate of A is 20 and the coordinate of B is 35 what is the coordinate of C ?

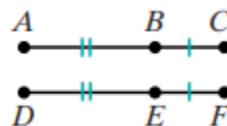
13. In the diagram, $QU = 120$, $SU = 50$, and $RS = ST = TU$. Find the indicated values.

- a) ST
- b) QS
- c) RT
- d) QR
- e) RU
- f) QT



14. The tick marks shown on the figures are a common way of indicating congruent segments.

- a) Make two congruence statements. (_____ \cong _____)
- b) Make two equality statements. (_____ = _____)



15. Points $D, E,$ and F are collinear. F is between D and E . DE is 40 . FD is seven times FE . Find $DF, FE,$ and FE . Show a drawing.

16. If $CA = 6(x - 1)$, $AT = 3x + 1$, and $CT = x + 43$.
 Find $x, CA, AT,$ and CT .



17. If $AM = MB$, does this necessarily mean that M is the midpoint of \overline{AB} ? Explain why or why not. Draw a figure to support your answer. Compare with your partner and/or group in class.

Algebra Review:

18. Solve: $12 - 2(3x - 4) = 2x - 4$
19. Simplify: $4\sqrt{27}$
20. If $x = -3, y = 6$ find the value of $\sqrt{x^2 + y^2}$